

Topic Model

Pulak Purkait,
SRF, ISI Kolkata

Information overload



As more information becomes available, it becomes more difficult to find and discover what we need.

We need new tools to help us organize, search, and understand these vast amounts of information.

David M. Blei

pLSA(1999) :

- The main challenge a machine learning system has to address roots in the distinction between the lexical level of “what actually has been said or written” and the semantical level of “what was intended” or “what was referred to” in a text or an utterance.

-----Thomas Hofmann

Topic modeling



Topic modeling provides methods for automatically organizing, understanding, searching, and summarizing large electronic archives.

- ① Discover the hidden themes that pervade the collection.
- ② Annotate the documents according to those themes.
- ③ Use annotations to organize, summarize, and search the texts.

Annotate images



SKY WATER TREE
MOUNTAIN PEOPLE



SCOTLAND WATER
FLOWER HILLS TREE



SKY WATER BUILDING
PEOPLE WATER



FISH WATER OCEAN
TREE CORAL



PEOPLE MARKET PATTERN
TEXTILE DISPLAY



BIRDS NEST TREE
BRANCH LEAVES

The Netflix problem

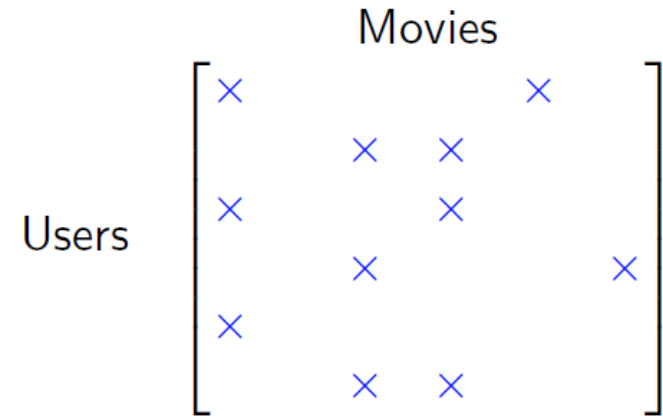
- Netflix database
 - About half a million users
 - About 18,000 movies
- People rate movies
- Sparsely sampled entries



Emmanuel Candes

The Netflix problem

- Netflix database
 - About half a million users
 - About 18,000 movies
- People rate movies
- Sparsely sampled entries



Challenge

Complete the “Netflix matrix”

Many such problems → collaborative filtering, partially filled out surveys...

- Clustering --> Dimensionality reduction
- Low rank approximation
- Collaborative filter
- Matrix completion
- Topic modeling ---> LSA, pLSA, LDA

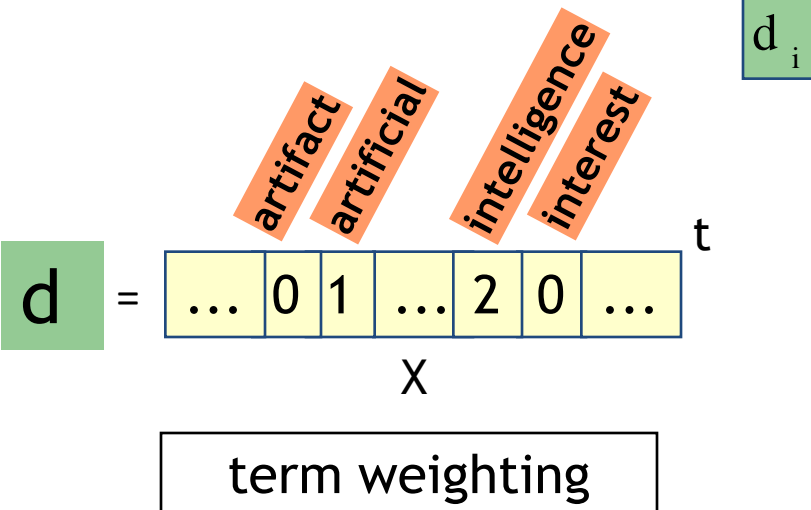
Vector Space Model

a traditional approach

Term-Document Matrix

$D = \{\text{documents in database}\}$

Texas Instruments said it has developed the first 32-bit computer chip designed specifically for artificial intelligence applications [...]



$W = \{\text{terms in vocabulary}\}$

intelligence

w_j

term-document matrix

		W				
		w_1	...	w_j	...	w_J
D	d_1					
		
	d_i		...	$c(d_i, w_j)$...	
		
	d_I					

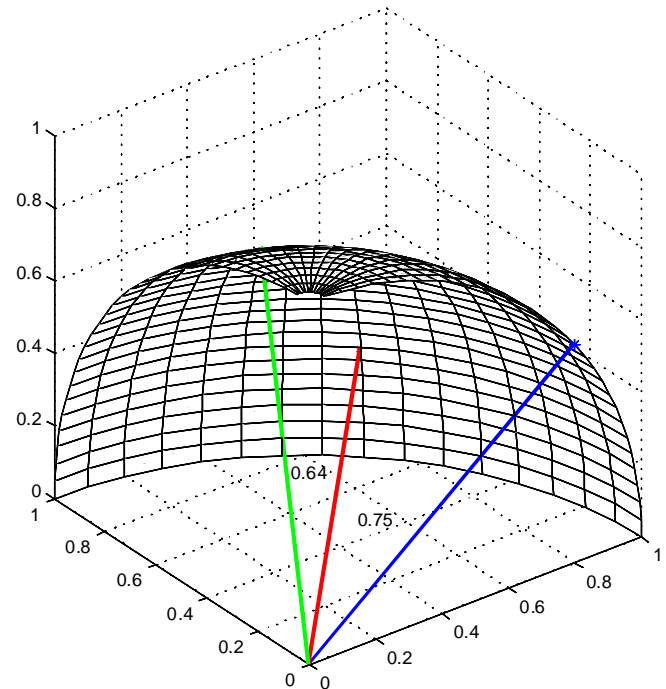
Documents in “Inner” Space

similarity between document and query

$$\text{sim}(d, q) = \cos \angle(\vec{d}, \vec{q}) = \frac{\langle \vec{d}, \vec{q} \rangle}{\|\vec{d}\| \|\vec{q}\|}$$

cosine of angle between query and document(s)

- Retrieval method
 - rank documents according to similarity with query
 - term weighting schemes, for example, TFIDF
 - used in SMART system and many successor systems, high popularity



Advantages of the Vector Space Model

- ❑ No subjective selection of index terms
- ❑ Partial matching of queries and documents (*dealing with the case where no document contains all search terms*)
- ❑ Ranking according to similarity score (*dealing with large result sets*)
- ❑ Term weighting schemes (*improves retrieval performance*)
- ❑ Various extensions
 - Document clustering
 - Relevance feedback (modifying query vector)
- ❑ Geometric foundation

Limitations of the Vector Space Model

□ Dimensionality:

- Vector space representation is high-dimensional (several 10-100K).
- Learning and estimation has to deal with curse of dimensionality.

□ Sparseness:

- Document vectors are typically very sparse.
- Cosine similarity can be noisy and inaccurate.

□ Semantics:

- The inner product can only match occurrences of exactly the same terms.
- The vector representation does not capture semantic relations between words.

□ Independence

- Bag-of-Words Representation
- Unable to capture phrases and semantic/syntactic regularities

The Lost Meaning of Words ...

□ Ambiguity and association in natural language

- **Polysemy**: Words often have a multitude of meanings and different types of usage (*more urgent for very heterogeneous collections*).
- The vector space model is unable to discriminate between different meanings of the same word.

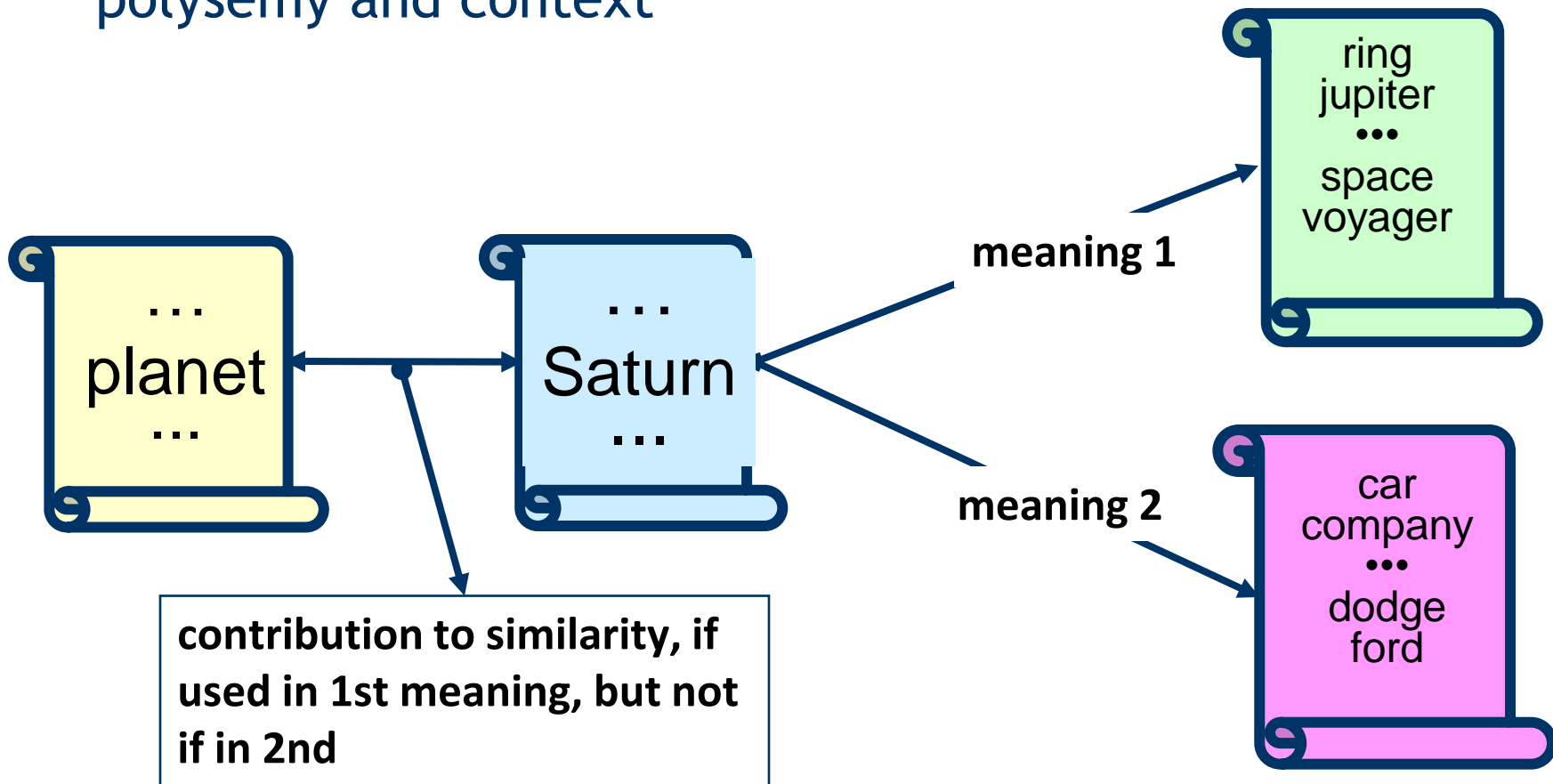
$$\text{sim} (d, q) < \cos \angle (\vec{d}, \vec{q}) -$$

- **Synonymy**: Different terms may have an identical or a similar meaning (weaker: words indicating the same topic).
- No associations between words are made in the vector space representation.

$$\text{sim} (d, q) > \cos \angle (\vec{d}, \vec{q}) -$$

Polysemy and Context

- Document similarity on single word level: polysemy and context



Latent Semantic Analysis (LSA)

An algebraic approach

Latent Semantic Analysis

□ General idea

- Map documents (and terms) to a low-dimensional representation.
- Design a mapping such that the low-dimensional space reflects semantic associations (latent semantic space).
- Compute document similarity based on the inner product in the latent semantic space.

□ Goals

- Similar terms map to similar location in low dimensional space.
- Noise reduction by dimension reduction.

LSA: Matrix Decomposition by SVD

- Dimension reduction by singular value decomposition of term-document matrix

$$\mathbf{C} = (c_{ij}), \quad c_{ij} = c(d_i, w_j) \quad \text{word frequencies} \\ \text{(possibly transformed)}$$

- Document length normalization
- Sublinear transformation (e.g., log)
- Global term weight

original
td matrix

$$\mathbf{C} = \mathbf{U} \Sigma \mathbf{V}^t \approx \mathbf{U} \hat{\Sigma} \mathbf{V}^t = \hat{\mathbf{C}}$$

reconstructed
td matrix

term/document
vectors

thresholded
singular values

**L₂ optimal
approximation**

Background: SVD

- Singular Value Decomposition, definition

$$\hat{\mathbf{C}} = \mathbf{U} \mathbf{\Sigma} \mathbf{V}^t$$

- \mathbf{U}, \mathbf{V} : orthonormal columns
- $\mathbf{\Sigma}$: diagonal with singular values (ordered)

- Properties:

- Existence & uniqueness
- Thresholding small singular values yields an optimal low-rank approximation (in the sense of the Frobenius norm)

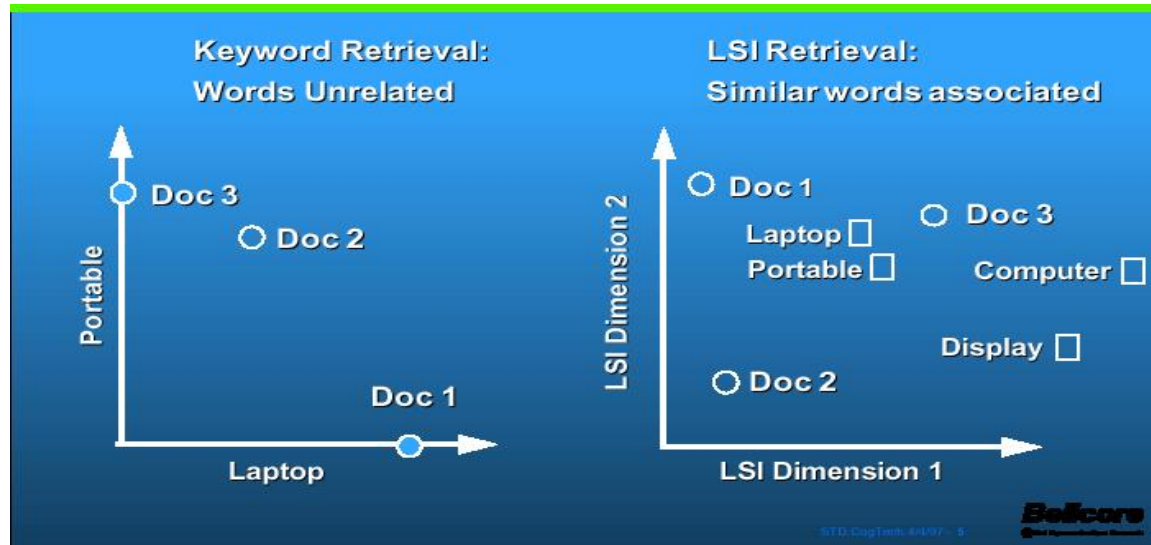
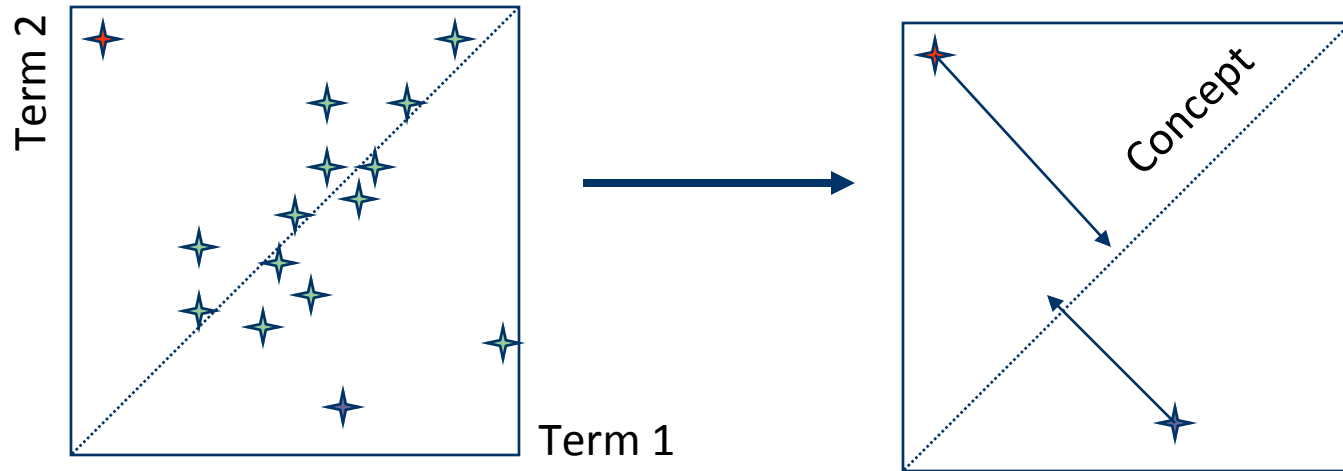
SVD and PCA

- If (!) the rows of \mathbf{C} would be shifted such that their mean is zero, then:

$$\mathbf{C}\mathbf{C}^t = \mathbf{U}\mathbf{\Sigma}\mathbf{V}^t(\mathbf{U}\mathbf{\Sigma}\mathbf{V}^t)^t = \mathbf{U}\mathbf{\Sigma}^2\mathbf{U}^t$$

- Then, one would essentially perform a projection on the principal axis defined by the columns of \mathbf{U}
- Yet, this would **destroy the sparseness** of the term-document matrix (and consequently **might hurt the performance of SVD methods**)

Term Associations from LSA



(taken from slide by S. Dumais)

LSA: Discussion

□ pros:

- Low-dimensional document representation is able to capture synonyms.
- Noise removal and robustness by dimension reduction
- Experimentally: advantages over naïve vector space model

□ cons:

- “Formally”: L_2 norm is inappropriate as a distance function for count vectors (reconstruction may contain negative entries)
- “Conceptually”:
 - Problem of polysemy is not addressed; principle of linear superposition, no active disambiguation
 - Context of terms is not taken into account.
 - Directions in latent space are hard to interpret.
 - No probabilistic model of term occurrences.
- [ad hoc selection of the number of dimensions, ...]

Probabilistic Latent Semantic Analysis (pLSA)

A probabilistic approach

Thomas Hofmann

Documents as Information Sources

- “real” document: empirical probability distrib. \cong relative frequencies

$$\hat{P}(w | d) = \frac{c(d, w)}{c(d)}$$

- “ideal” document: (memoryless) information source

other documents \rightarrow $P(w | d) = ?$ \leftarrow sample

$D = \{\text{documents in database}\}$

$W = \{\text{words in vocabulary}\}$

		W				
		w_1	...	w_j	...	w_J
D	d_1					
		
	d_i		...	$c(d_i, w_j)$...	
		
	d_I					

Information Source Models in IR

- Bayes rule: probability of relevance of document w.r.t. query

$$P(d | q) \propto P(q | d)P(d)$$

prior probability of relevance ←

- Query translation model

- Probability that q is “generated” from d

$$P(q | d) = \prod_{t \in q} P(t | d),$$

- Probability that query term is generated

$$P(t | d) = \sum_w \underbrace{P(t | w)}_{\text{Translation model}} \underbrace{P(w | d)}_{\text{Language model}}$$

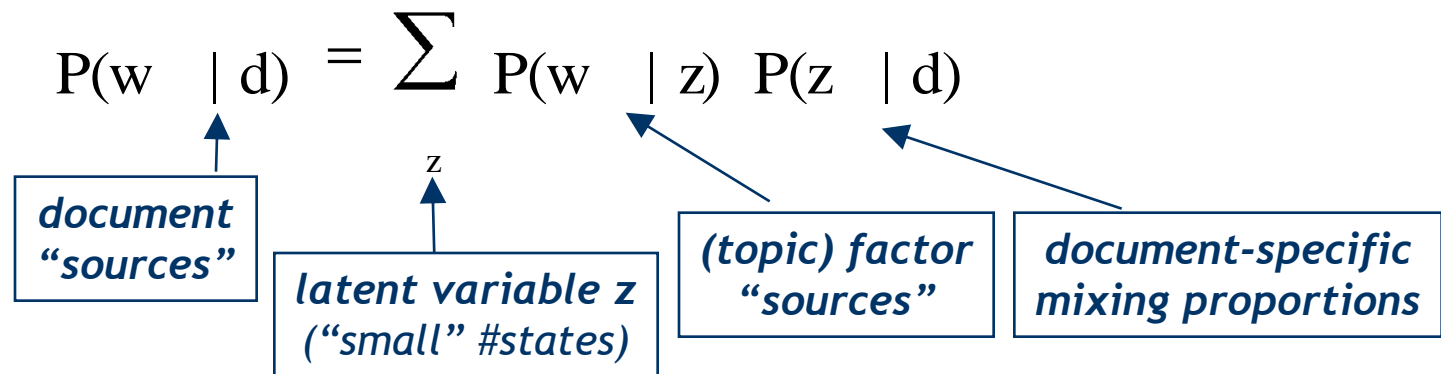
Translation model Language model

J. Ponte & W.B. Croft, "A Language Model Approach to Information Retrieval", SIGIR 1998.

A. Berger & J. Lafferty, "Information Retrieval as Statistical Translation, SIGIR 1999.

Probabilistic Latent Semantic Analysis

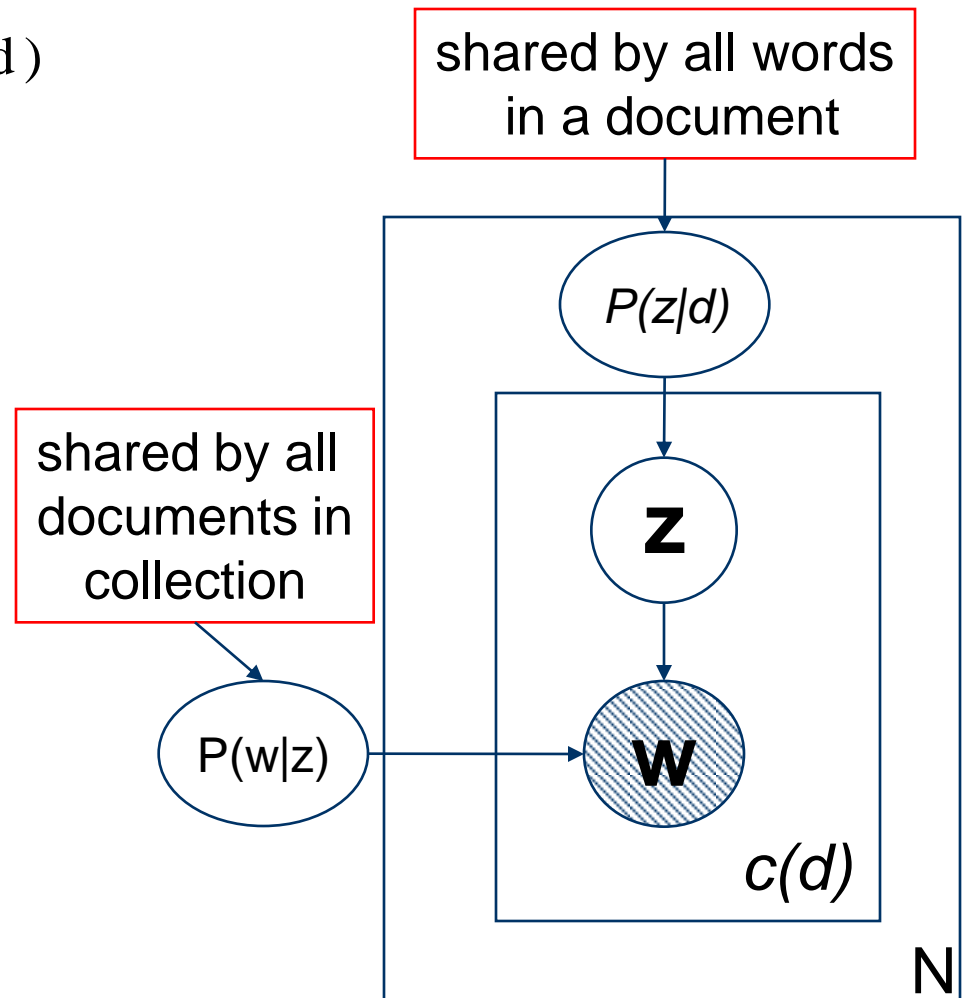
- ❑ How can we learn document-specific language models? Sparseness problem, even for unigrams.
- ❑ Probabilistic dimension reduction techniques to overcome data sparseness problem.
- ❑ Factor analysis for count data: factors \equiv concepts



$$P(w, d) = \sum_z P(w \mid z) P(d \mid z) P(z)$$

PLSA: Graphical Model

$$P(w|d) = \sum_z P(w|z) P(z|d)$$



Positive Matrix Decomposition

- mixture decomposition in matrix notation

$$\mathbf{C} \approx \mathbf{P}_d \mathbf{\Pi} \mathbf{P}_w^t = \tilde{\mathbf{C}} \left\{ \begin{array}{l} \mathbf{\Pi} = \text{diag}(\mathbf{P}(z_1), \dots, \mathbf{P}(z_K)) \\ (\mathbf{P}_d)_{i,k} = \mathbf{P}(d_i | z_k) \\ (\mathbf{P}_w)_{j,k} = \mathbf{P}(w_j | z_k) \end{array} \right.$$

- constraints
 - Non-negativity of all matrices
 - Normalization according to L_1 -norm
 - (no orthogonality)

Positive Matrix Decomposition & SVD

- mixture decomposition in matrix notation

$$\mathbf{C} \approx \mathbf{P}_d \mathbf{\Pi} \mathbf{P}_w^t = \tilde{\mathbf{C}} \quad \left\{ \begin{array}{l} \mathbf{\Pi} = \text{diag}(\mathbf{P}(z_1), \dots, \mathbf{P}(z_K)) \\ (\mathbf{P}_d)_{i,k} = \mathbf{P}(d_i | z_k) \\ (\mathbf{P}_w)_{j,k} = \mathbf{P}(w_j | z_k) \end{array} \right.$$

compare to

$$\mathbf{C} = \mathbf{U} \mathbf{\Sigma} \mathbf{V}^t \approx \mathbf{U} \mathbf{\Sigma} \mathbf{V}^t = \hat{\mathbf{C}}$$

- probabilistic approach vs. linear algebra decomposition
 - conditional independence assumption “replaces” outer product
 - class-conditional distributions “replace” left/right eigenvectors
 - **maximum likelihood instead of minimum L_2 norm criterion**

$$L = \sum_{i,j} c_{ij} \log \tilde{c}_{ij} = \sum_{i,j} c_{ij} \log \sum_z \mathbf{P}(w_j | z) \mathbf{P}(d_i | z) \mathbf{P}(z)$$

Expectation Maximization Algorithm

- Maximizing log-likelihood by (tempered) EM iterations
- E-step (posterior probabilities of latent variables)
- M-step (max. of expected complete log-likelihood)

$$P(z | d, w) = \frac{P(d | z)P(w | z)P(z)}{\sum_{z'} P(d | z')P(w | z')P(z')}$$

probability that a term occurrence w within d is explained by topic z

$$P(w | z) \propto \sum_d c(d, w) P(z | d, w)$$

$$B(\varphi | \Sigma) \propto \sum_m c(\varphi, m) B(\Sigma | \varphi, m) \quad B(\Sigma) \propto \sum_{m, \varphi} c(\varphi, m) B(\Sigma | \varphi, m)$$

Example: Science Magazine Papers

- Dataset with approx. 12K papers from Science Magazine
- Selected concepts from model with K=200

universe	0.0439	drug	0.0672	cells	0.0675	sequence	0.0818	years	0.156
galaxies	0.0375	patients	0.0493	stem	0.0478	sequences	0.0493	million	0.0556
clusters	0.0279	drugs	0.0444	human	0.0421	genome	0.033	ago	0.045
matter	0.0233	clinical	0.0346	cell	0.0309	dna	0.0257	time	0.0317
galaxy	0.0232	treatment	0.028	gene	0.025	sequencing	0.0172	age	0.0243
cluster	0.0214	trials	0.0277	tissue	0.0185	map	0.0123	year	0.024
cosmic	0.0137	therapy	0.0213	cloning	0.0169	genes	0.0122	record	0.0238
dark	0.0131	trial	0.0164	transfer	0.0155	chromosome	0.0119	early	0.0233
light	0.0109	disease	0.0157	blood	0.0113	regions	0.0119	billion	0.0177
density	0.01	medical	0.00997	embryos	0.0111	human	0.0111	history	0.0148
bacteria	0.0983	male	0.0558	theory	0.0811	immune	0.0909	stars	0.0524
bacterial	0.0561	females	0.0541	physics	0.0782	response	0.0375	star	0.0458
resistance	0.0431	female	0.0529	physicists	0.0146	system	0.0358	astrophys	0.0237
coli	0.0381	males	0.0477	einstein	0.0142	responses	0.0322	mass	0.021
strains	0.025	sex	0.0339	university	0.013	antigen	0.0263	disk	0.0173
microbiol	0.0214	reproductive	0.0172	gravity	0.013	antigens	0.0184	black	0.0161
microbial	0.0196	offspring	0.0168	black	0.0127	immunity	0.0176	gas	0.0149
strain	0.0165	sexual	0.0166	theories	0.01	immunology	0.0145	stellar	0.0127
salmonella	0.0163	reproduction	0.0143	aps	0.00987	antibody	0.014	astron	0.0125
resistant	0.0145	eggs	0.0138	matter	0.00954	autoimmune	0.0128	hole	0.00824

Collaborative Filtering/
Content-Based Filtering/
Matrix Completion

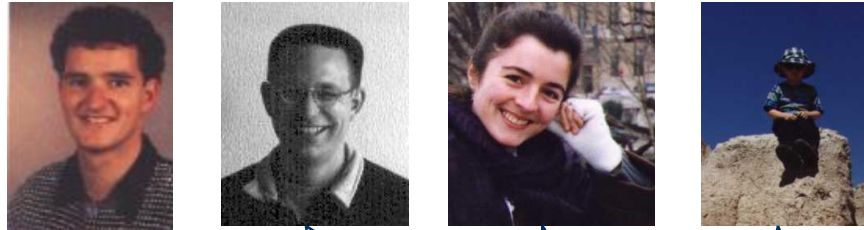
Collaborative and Content-Based Filtering

- ❑ **Collaborative/social filtering**
 - Properties of persons or similarities between persons are used to improve predictions.
 - Makes use of user profile data
 - Formally: starting point is sparse matrix with user ratings

- ❑ **Content-based filtering**
 - properties of objects or similarities between objects are used to improve predictions

Personalized Information Filtering:

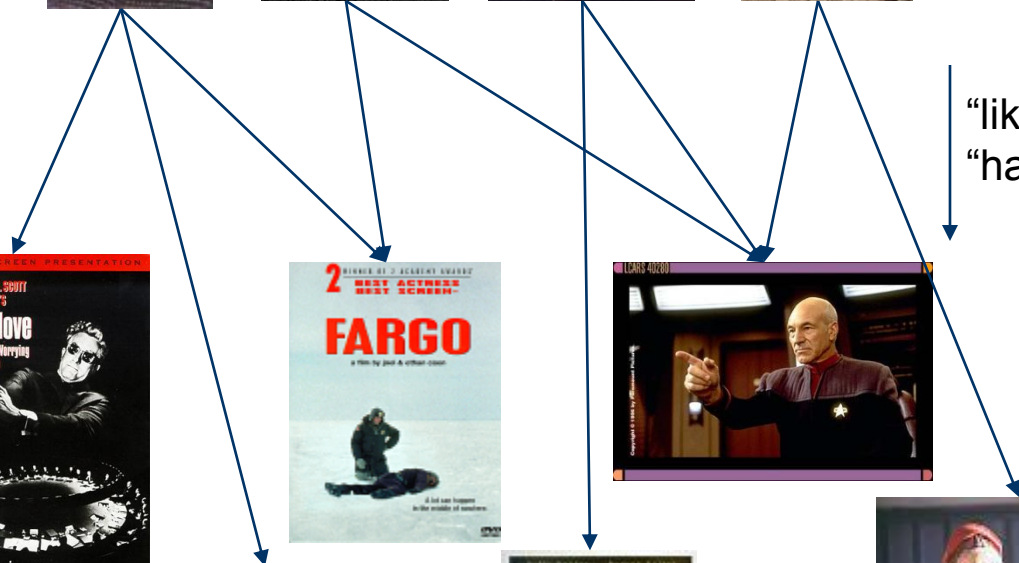
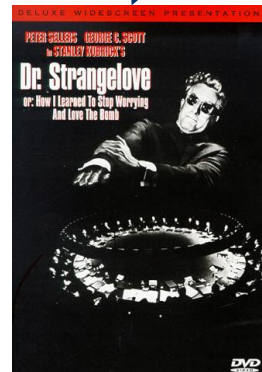
Users/
Customers



Judgement/
Selection

“likes”
“has seen”

Objects



Predicting Preferences and Actions

User Profile



Dr. Strangeloves *****

Three Colors: Blue *****

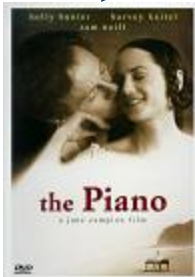
Fargo *****

Pretty Woman *

Movie? Rating?

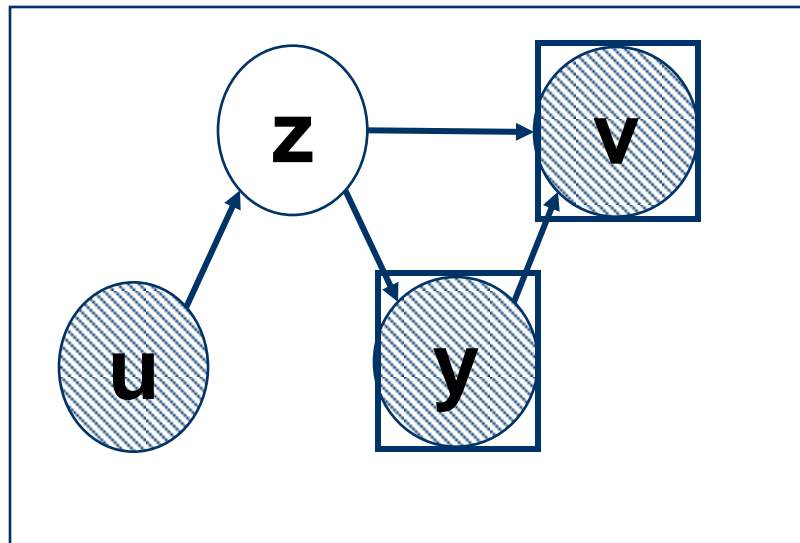
*

**



PLSA for Predicting User Ratings

Multi-valued (or real-valued) rating $v \in \{0,1,2,3,4,5\}$



*preference v is independent of person u , given latent state z
“community-based” variant*

- Each user is represented by a specific probability distribution
- Analogy to IR [user=document], [items=terms]

Probabilistic Topic Model

Latent Dirichlet Allocation

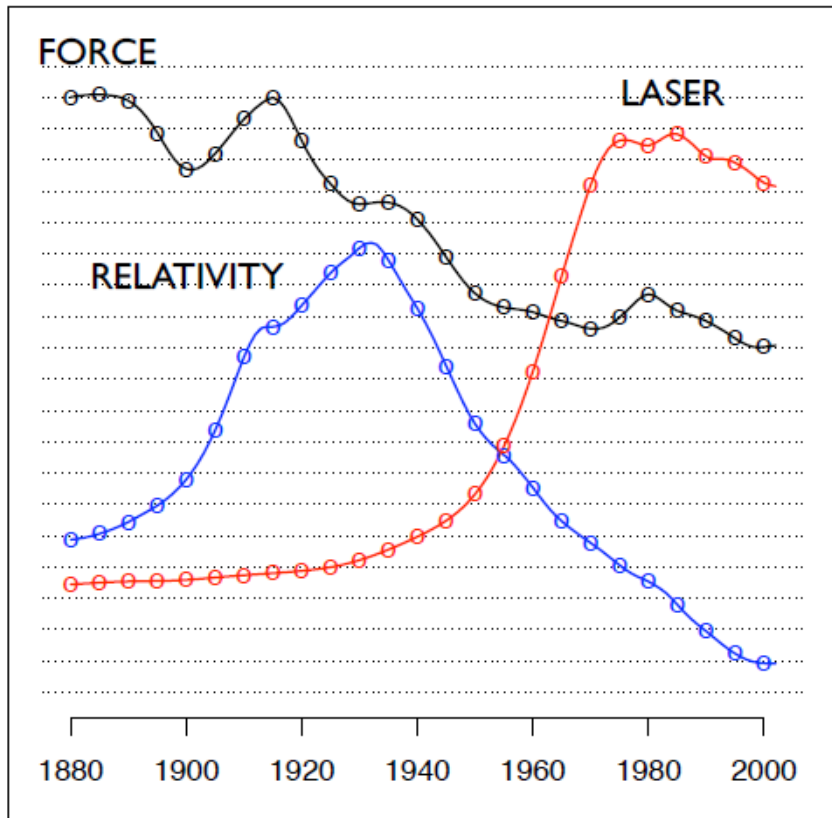
David M. Blei '03

Discover topics from a corpus

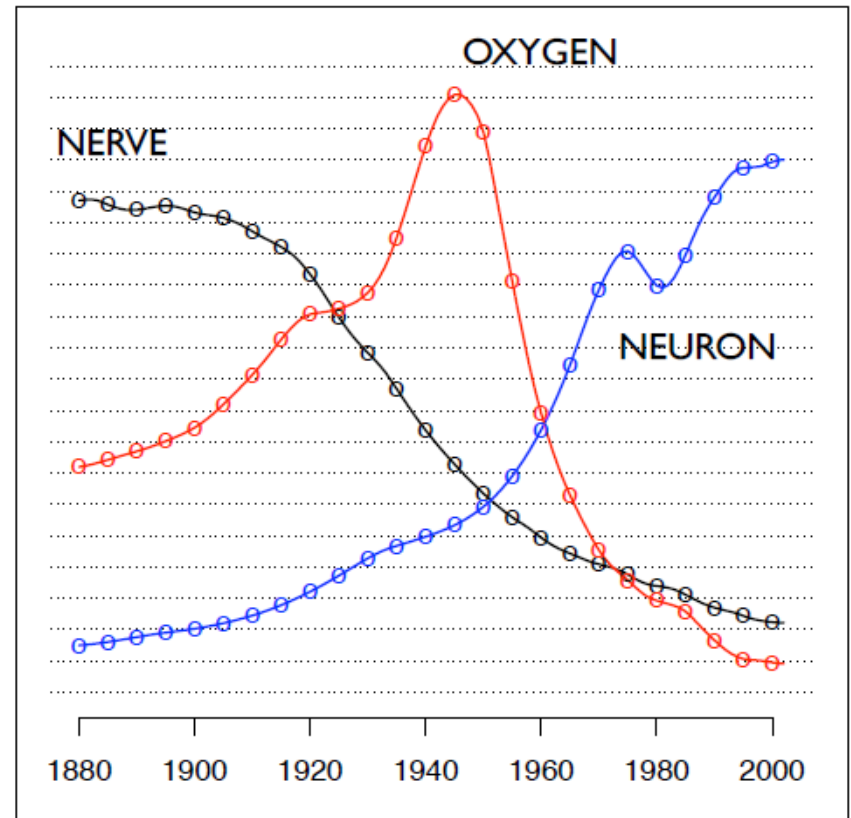
human	evolution	disease	computer
genome	evolutionary	host	models
dna	species	bacteria	information
genetic	organisms	diseases	data
genes	life	resistance	computers
sequence	origin	bacterial	system
gene	biology	new	network
molecular	groups	strains	systems
sequencing	phylogenetic	control	model
map	living	infectious	parallel
information	diversity	malaria	methods
genetics	group	parasite	networks
mapping	new	parasites	software
project	two	united	new
sequences	common	tuberculosis	simulations

Model the evolution of topics over time

"Theoretical Physics"



"Neuroscience"



Probabilistic modeling

- ① Data are assumed to be observed from a generative probabilistic process that includes hidden variables.
 - *In text, the hidden variables are the thematic structure.*
- ② Infer the hidden structure using posterior inference
 - *What are the topics that describe this collection?*
- ③ Situate new data into the estimated model.
 - *How does a new document fit into the topic structure?*

Latent Dirichlet allocation (LDA)

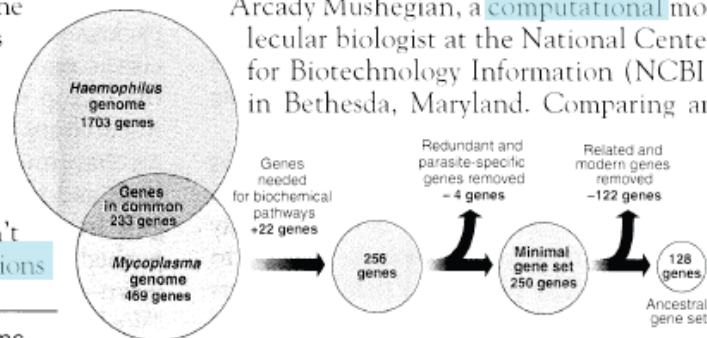
Seeking Life's Bare (Genetic) Necessities

COLD SPRING HARBOR, NEW YORK—How many genes does an organism need to survive? Last week at the genome meeting here,* two genome researchers with radically different approaches presented complementary views of the basic genes needed for life. One research team, using computer analyses to compare known genomes, concluded that today's organisms can be sustained with just 250 genes, and that the earliest life forms required a mere 128 genes. The other researcher mapped genes in a simple parasite and estimated that for this organism, 800 genes are plenty to do the job—but that anything short of 100 wouldn't be enough.

Although the numbers don't match precisely, those predictions

* Genome Mapping and Sequencing, Cold Spring Harbor, New York, May 8 to 12.

“are not all that far apart,” especially in comparison to the 75,000 genes in the human genome, notes Siv Andersson of Uppsala University in Sweden, who arrived at the 800 number. But coming up with a consensus answer may be more than just a genetic numbers game, particularly as more and more genomes are completely mapped and sequenced. “It may be a way of organizing any newly sequenced genome,” explains Arcady Mushegian, a computational molecular biologist at the National Center for Biotechnology Information (NCBI) in Bethesda, Maryland. Comparing an



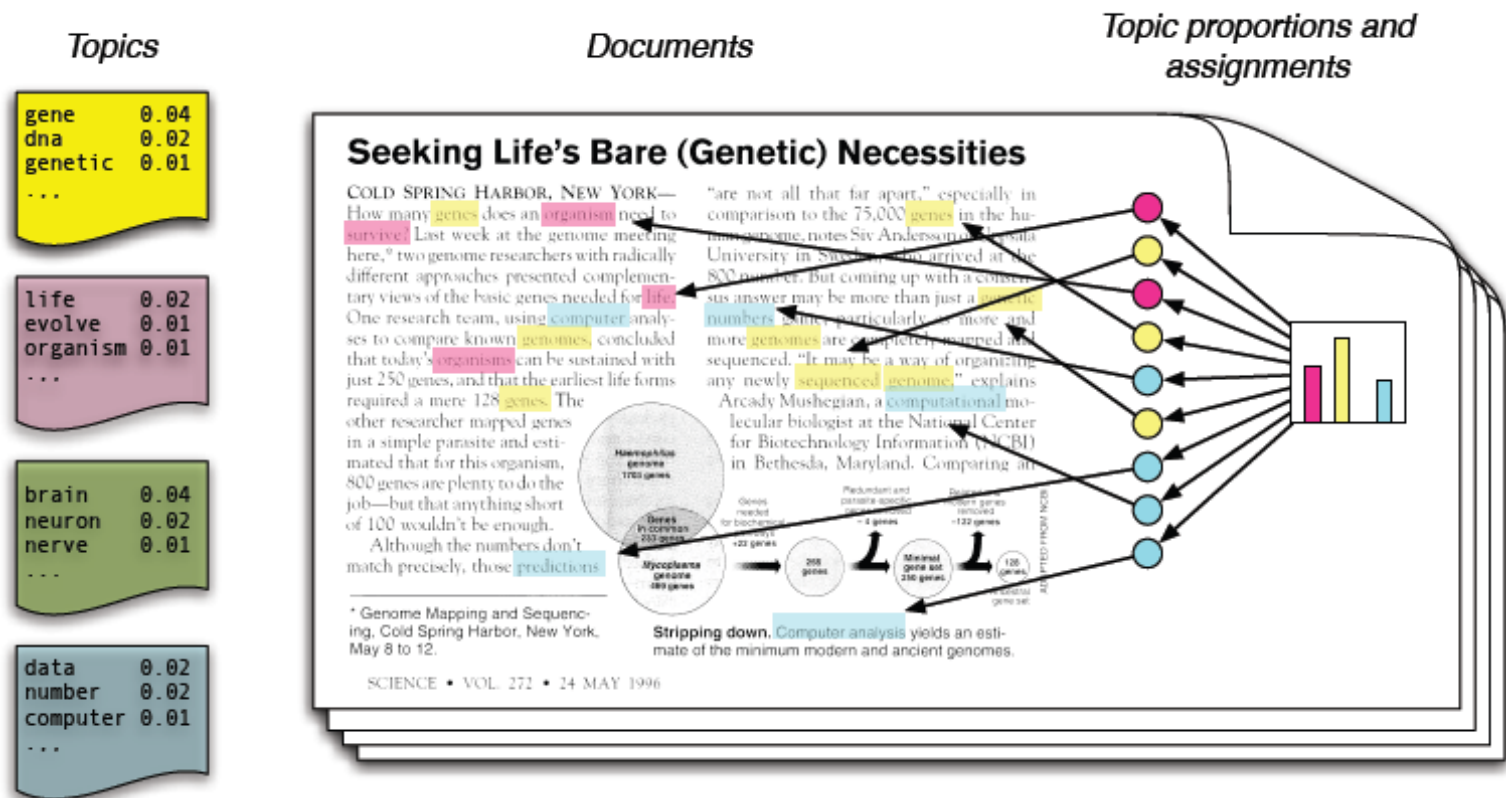
Stripping down. Computer analysis yields an estimate of the minimum modern and ancient genomes.

ADAPTED FROM NCBI

SCIENCE • VOL. 272 • 24 MAY 1996

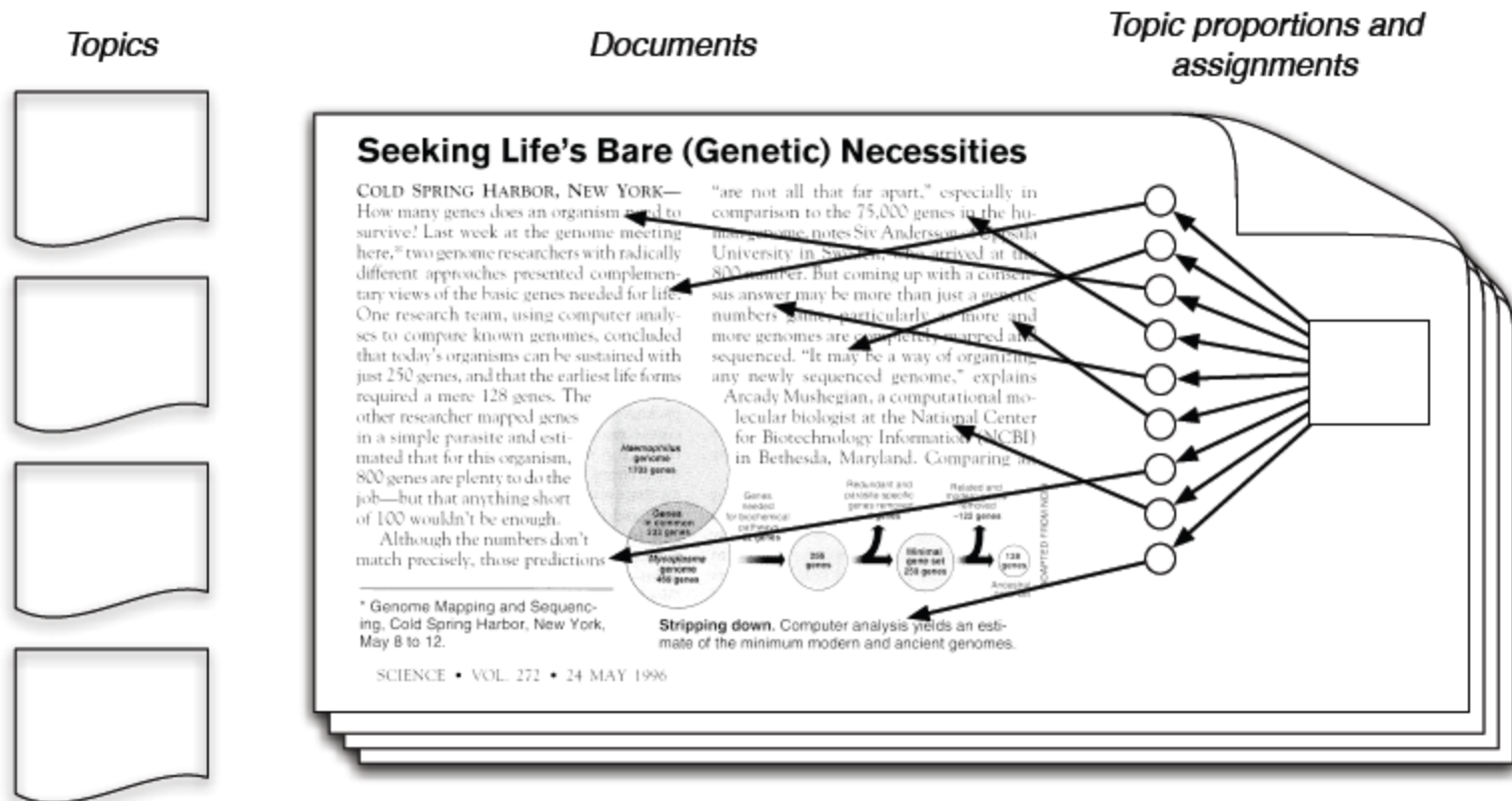
Simple intuition: Documents exhibit multiple topics.

Generative model for LDA



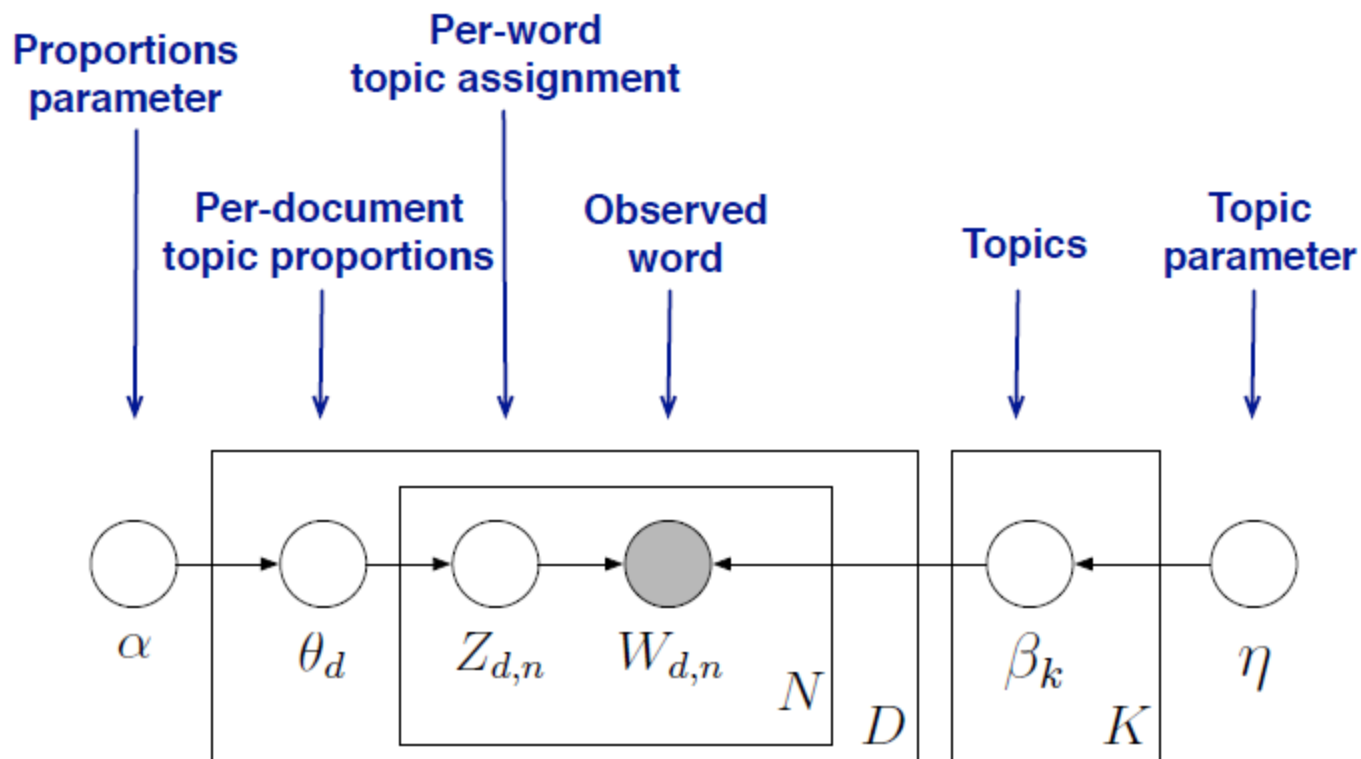
- Each **topic** is a distribution over words
- Each **document** is a mixture of corpus-wide topics
- Each **word** is drawn from one of those topics

The posterior distribution



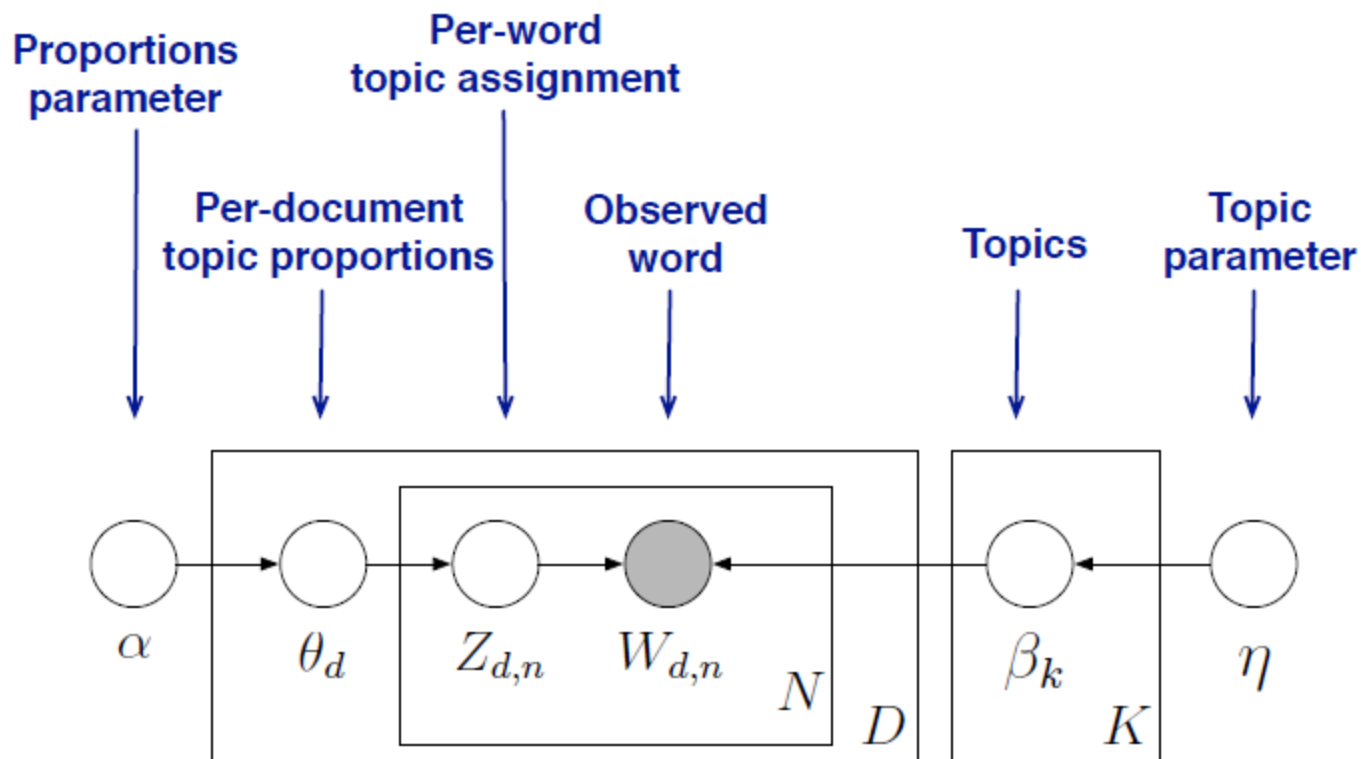
- In reality, we only observe the documents
- The other structure are **hidden variables**

LDA as a graphical model



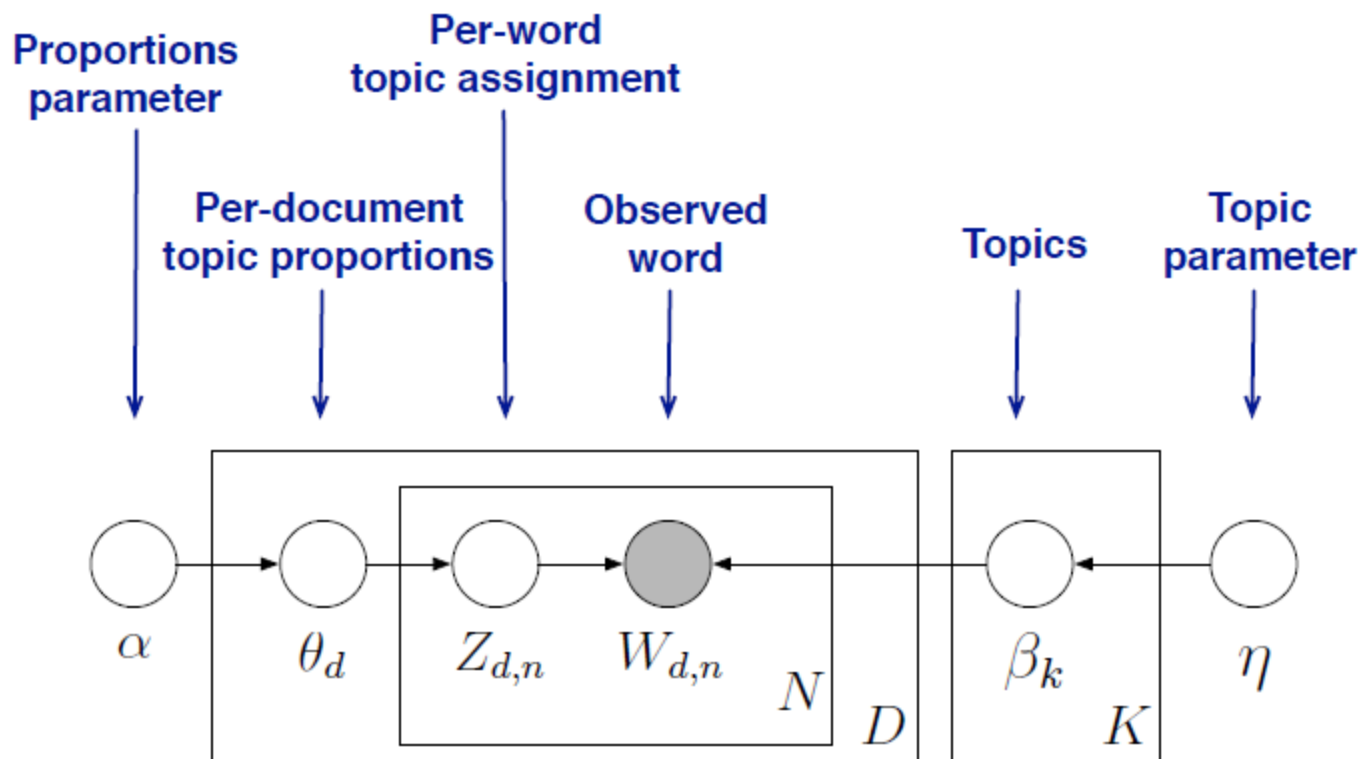
- Encodes our assumptions about the data
- Connects to algorithms for computing with data
- See *Pattern Recognition and Machine Learning* (Bishop, 2006).

LDA as a graphical model



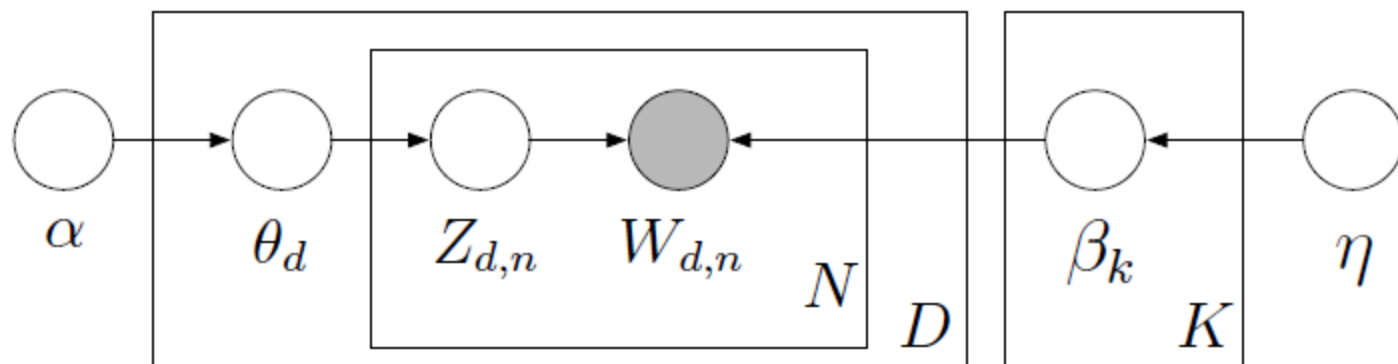
- Nodes are random variables; edges indicate dependence.
- Shaded nodes are observed.
- Plates indicate replicated variables.

LDA as a graphical model



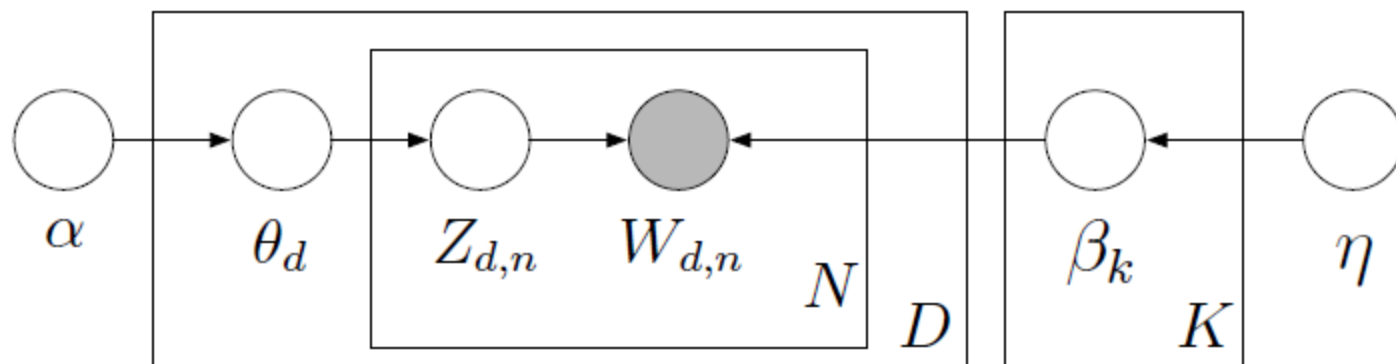
$$\prod_{i=1}^K p(\beta_i | \eta) \prod_{d=1}^D p(\theta_d | \alpha) \left(\prod_{n=1}^N p(z_{d,n} | \theta_d) p(w_{d,n} | \beta_{1:K}, z_{d,n}) \right)$$

LDA



- This joint defines a posterior.
- From a collection of documents, infer
 - Per-word topic assignment $Z_{d,n}$
 - Per-document topic proportions θ_d
 - Per-corpus topic distributions β_k
- Then use posterior expectations to perform the task at hand, e.g., information retrieval, document similarity, exploration, ...

LDA



Approximate posterior inference algorithms

- Mean field variational methods (Blei et al., 2001, 2003)
- Expectation propagation (Minka and Lafferty, 2002)
- Collapsed Gibbs sampling (Griffiths and Steyvers, 2002)
- Collapsed variational inference (Teh et al., 2006)
- Online variational inference (Hoffman et al., 2010)

Also see Mukherjee and Blei (2009) and Asuncion et al. (2009).

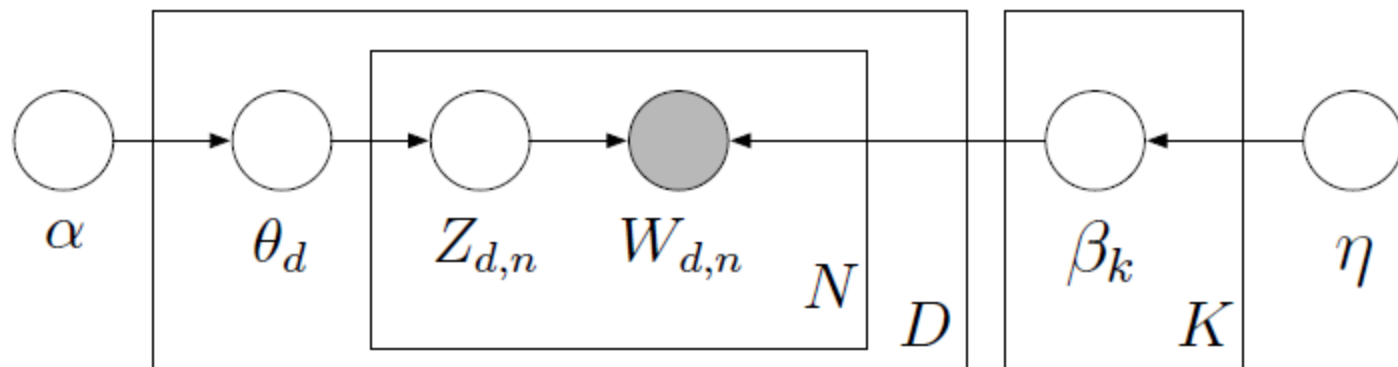
Aside: The Dirichlet distribution

- The Dirichlet distribution is an exponential family distribution over the simplex, i.e., positive vectors that sum to one

$$p(\theta | \vec{\alpha}) = \frac{\Gamma(\sum_j \alpha_j)}{\prod_j \Gamma(\alpha_j)} \prod_i \theta_i^{\alpha_i - 1}.$$

- It is **conjugate** to the multinomial. Given a multinomial observation, the posterior distribution of θ is a Dirichlet.
- The parameter α controls the mean shape and sparsity of θ .
- The topic proportions are a K dimensional Dirichlet.
The topics are a V dimensional Dirichlet.

Example inference



- **Data:** The OCR'ed collection of *Science* from 1990–2000
 - 17K documents
 - 11M words
 - 20K unique terms (stop words and rare words removed)
- **Model:** 100-topic LDA model using variational inference.

Example inference

Seeking Life's Bare (Genetic) Necessities

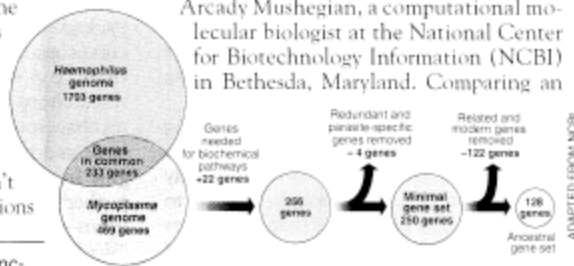
COLD SPRING HARBOR, NEW YORK—How many genes does an organism need to survive? Last week at the genome meeting here,* two genome researchers with radically different approaches presented complementary views of the basic genes needed for life. One research team, using computer analyses to compare known genomes, concluded that today's organisms can be sustained with just 250 genes, and that the earliest life forms required a mere 128 genes. The other researcher mapped genes in a simple parasite and estimated that for this organism, 800 genes are plenty to do the job—but that anything short of 100 wouldn't be enough.

Although the numbers don't match precisely, those predictions

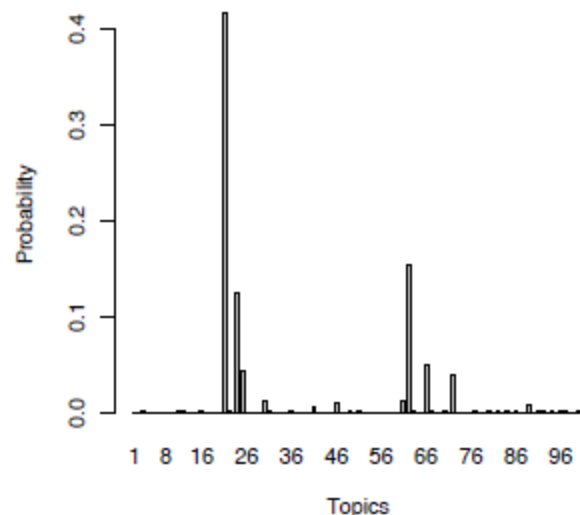
* Genome Mapping and Sequencing, Cold Spring Harbor, New York, May 8 to 12.

"are not all that far apart," especially in comparison to the 75,000 genes in the human genome, notes Siv Andersson of Uppsala University in Sweden, who arrived at the 800 number. But coming up with a consensus answer may be more than just a genetic numbers game, particularly as more and more genomes are completely mapped and sequenced. "It may be a way of organizing any newly sequenced genome," explains

Arcady Mushegian, a computational molecular biologist at the National Center for Biotechnology Information (NCBI) in Bethesda, Maryland. Comparing an



Stripping down. Computer analysis yields an estimate of the minimum modern and ancient genomes.



Example inference

human	evolution	disease	computer
genome	evolutionary	host	models
dna	species	bacteria	information
genetic	organisms	diseases	data
genes	life	resistance	computers
sequence	origin	bacterial	system
gene	biology	new	network
molecular	groups	strains	systems
sequencing	phylogenetic	control	model
map	living	infectious	parallel
information	diversity	malaria	methods
genetics	group	parasite	networks
mapping	new	parasites	software
project	two	united	new
sequences	common	tuberculosis	simulations

Chaotic Beetles

Charles Godfray and Michael Hassell

Ecologists have known since the pioneering work of May in the mid-1970s (1) that the population dynamics of animals and plants can be exceedingly complex. This complexity arises from two sources: The tangled web of interactions that constitute any natural community provide a myriad of different pathways for species to interact, both directly and indirectly. And even in isolated populations the nonlinear feedback processes present in all natural populations can result in complex dynamic behavior. Natural populations can show persistent oscillatory dynamics and chaos, the latter characterized by extreme sensitivity to initial conditions. If such chaotic dynamics were common in nature, then this would have important ramifications for the management and conservation of natural resources. On page 389 of this issue, Costantino *et al.* (2) provide the most

convincing evidence to date of complex dynamics and chaos in a biological population—of the flour beetle, *Tribolium castaneum* (see figure).

It has proven extremely difficult to demonstrate complex dynamics in populations in the field. By its very nature, a chaotically fluctuating population will superficially resemble a stable or cyclic population buffered by the normal random perturbations experienced by all species. Given a long enough time series, diagnostic tools from nonlinear mathematics can be used to identify the tell-tale signatures of chaos. In phase space, chaotic trajectories come to lie on "strange attractors," curious geometric objects with fractal structure and hence noninteger dimension. As they

move over the surface of the attractor, sets of adjacent trajectories are pulled apart, then stretched and folded, so that it becomes impossible to predict exact population densities into the future. The strength of the mixing that gives rise to the extreme sensitivity to initial conditions can be measured mathematically estimating the Liapunov expo-

nent, which is positive for chaotic dynamics and nonpositive otherwise. There have been many attempts to estimate attractor dimension and Liapunov exponents from time series data, and some candidate chaotic population have been identified (some insects, rodents, and most convincingly, human childhood diseases), but the statistical difficulties preclude any broad generalization (3).

An alternative approach is to parameterize population models with data from natural populations and then compare their predictions with the dynamics in the field. This technique has been gaining popularity in recent years, helped by statistical advances in parameter estimation. Good ex-



Cannibalism and chaos. The flour beetle, *Tribolium castaneum*, exhibits chaotic population dynamics when the amount of cannibalism is altered in a mathematical model.

The authors are in the Department of Biology, Imperial College at Silwood Park, Ascot, Berks, SL5 7PZ UK. E-mail: m.hassell@ic.ac.uk

Example inference (II)

problem	model	selection	species
problems	rate	male	forest
mathematical	constant	males	ecology
number	distribution	females	fish
new	time	sex	ecological
mathematics	number	species	conservation
university	size	female	diversity
two	values	evolution	population
first	value	populations	natural
numbers	average	population	ecosystems
work	rates	sexual	populations
time	data	behavior	endangered
mathematicians	density	evolutionary	tropical
chaos	measured	genetic	forests
chaotic	models	reproductive	ecosystem

Implementations of LDA

There are many available implementations of topic modeling—

LDA-C*	A C implementation of LDA
HDP*	A C implementation of the HDP (“infinite LDA”)
Online LDA*	A python package for LDA on massive data
LDA in R*	Package in R for many topic models
LingPipe	Java toolkit for NLP and computational linguistics
Mallet	Java toolkit for statistical NLP
TMVE*	A python package to build browsers from topic models

* available at www.cs.princeton.edu/~blei/